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A FAMILY OF LARGE SET OF SIZE NINE

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Abstract. We investigate the existence of some large sets of size nine. The large set $LS[9](2,5,29)$ is constructed and existence of the family $LS[9](2,5,27l+j)$ for $l \geq 1$, $2 \leq j < 5$ are proved.
Keywords: Large set, Kramer-Mesner matrix, block design.
MSC(2010): Primary: 05B05; Secondary: 05E20.

1. Introduction

Let t, k, v and λ be positive integers such that $t \leq k \leq v$. Let X be a set of size v (or a v-set called point set) and $P_i(X)$, $0 < i \leq t$, denotes the set of all i-subsets of X. A t-(v,k,λ) design (or in short a t-design) is a collection D of $k-$subsets (blocks) of a $v-$set X such that every $t-$subset of X is contained in exactly λ blocks [1]. A t-design is simple if no two blocks are identical. Here, we consider only simple designs. We recall some necessary preliminaries from [6]. A large set of t-(v,k,λ) designs, denoted by $LS[N](t,k,v)$, is a partition of the $P_k(X)$ into N disjoint t-(v,k,λ) designs and hence $N = \binom{v-t}{k-t}/\lambda$. Consequently a necessary condition for the existence of an $LS[N](t,k,v)$ is that

$$N \mid \binom{v-i}{k-i},\ 0 \leq i \leq t\ . \tag{1.1}$$

This necessary condition (1.1) is not always sufficient, for in 1850, Cayley showed that it is possible to have two disjoint 2-$(7,3,1)$ designs and no more [3]. So there are no $LS[5](2,3,7)$ and $LS[5](3,4,8)$, while $5 \mid \binom{7-i}{3-i}$

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$, 0 \leq i \leq 2$ and $5 \mid \binom{8-i}{4-i}, 0 \leq i \leq 3$.

Let S_v be the group of all permutations on X, where as defined above X is a v-set. Let $\sigma \in S_v$, $x \in X$, $B \in P_k(X)$ and $\beta \subseteq P_k(X)$. We denote by x^σ, B^σ and β^σ the images under σ of x, B and β, respectively. If $\beta^\sigma = \beta$, then σ is called an automorphism of β. If G is a subgroup of S_v such that $\beta^\sigma = \beta$ for every $\sigma \in G$, we say that β is G-invariant. The set of all automorphisms of β forms a subgroup of S_v. We call β rigid if its automorphism group is trivial.

In order to define the same concept for large sets, consider the set $D = \{\beta_i\}_{i=1}^N$, such that each β_i is a t-(v, k, λ) design and $\beta_i \cap \beta_j = \emptyset$ for all $i \neq j$. A permutation $\sigma \in S_v$ is said to be an automorphism of D if $D^\sigma = D$, that is, $\beta_i^\sigma \in D$, for each $\beta_i \in D$. The set of all automorphisms of D is, of course, a subgroup of S_v denoted by $AutD$. If G is a subgroup of $AutD$, we say that D is G-invariant. Notice that a G-invariant large set may contain designs which are not G-invariant by themselves [5].

Suppose that the block set β of a design is G-invariant for some abelian group G. Then one needs only list part of the blocks, called *starter blocks*, in order to obtain β. In other words starter blocks is a set of orbit representatives in β under the action of G.

Let G be a subgroup of S_v and let $T_1, T_2, \ldots, T_s$ and $K_1, K_2, \ldots, K_r$ (for positive integers r and s) be the orbits of $P_t(X)$ and $P_k(X)$ under the action of G, respectively. The Kramer-Mesner matrix is the $s \times r$ matrix $A_{t,k}^v(G)$ whose (i, j)-th entry is $|\{k \in K_j \ ; \ T \subseteq k\}|$, where T is any representative in T_i. The following theorem, due to Kramer and Mesner gives more details [9].

Theorem 1.1. *There exists a G-invariant t-(v, k, λ) design β if and only if there exists a vector $u \in \{0, 1\}^r$ satisfying the equation $A_{t,k}^v(G)u = \lambda J$, where J is the s-dimensional all one vector.*

Remark 1.2. *One may also adapt the same method for finding large sets. We pick up one from the set of solutions of u and remove the corresponding columns from $A_{t,k}^v(G)$. The resulting matrix $A_{t,k}^{'v}(G)$ is used in a similar way to find designs via the equation $A_{t,k}^{'v}(G)u^{'} = \lambda J$. We repeat the procedure until all orbits on k-subsets are used* [7] .

Notation. Let N, t and k be some positive integers such that $t \leq k$. The set of all v for which an $LS[N](t,k,v)$ exists, is denoted by $A[N](t,k)$. The set of all v which satisfy the necessary conditions (1.1) is denoted by $B[N](t,k)$ [8].

2. Large sets of size 9 with $t = 2$ and $k = 5$

In this section first we state the necessary condition (1.1), in terms of some congruence relations. Then we prove the existence of a family of large sets. Let p be a prime number and k_p be the smallest power of p such that $k < p^{k_p}$ [13]. The following theorem helps us to identify the existence of large sets in size 9 and $t = 2$ and $k = 5$.

Theorem 2.1. [13] *Let p^α be a prime power. Then $v \in B[p^\alpha](t,k)$ if and only if one of the following conditions hold:*

i: $v \equiv t, \ldots, k-1 \pmod{p^{k_p+\alpha-1}}$,

ii: $v \equiv v_0 \pmod{p^{k_p+\alpha-1}}$, $k < v_0 < p^{k_p+\alpha-1}$ *and* $v_0 \in B[p^\alpha](t,k)$.

This theorem has in particular the following easy conclusion.

Lemma 2.2. *Let $v > 7$ then $v \in B[9](2,5)$ if and only if $v \equiv 2,3,4 \pmod{27}$.*

Proof. In this case $k_p = 2$ and it is easy to show that for $6 < v_0 < 27$ we have $9 \not| \binom{v-i}{5-i}$, where $i = 0,1,2$. Therefore by Theorem 2.1, $v \in B[9](2,5)$ if and only if $v \equiv 2,3,4 \pmod{27}$. □

The following theorem due to Khosrovshahi et al. [7], presents a recursive method and provides an important mechanism for constructing families of large sets from small cases.

Theorem 2.3. [7] *If there exist $LS[N](t,i,v)$ for all $t+1 \leq i \leq k$, then there exist $LS[N](t,i,l(v-t)+j)$ for all $l \geq 1$, $t+1 \leq i \leq k$ and $t \leq j < i$.*

A t-(v,k,λ) design D is said to be *cyclic* if it has an automorphism σ which is a cycle of order v on the point set X. If D is cyclic it is clear that we can regard the points of D as the elements of the additive cyclic group Z_v, in such a way that σ is simply the cycle $x \to x+1$. In this case, Z_v is a subgroup of $Aut(D)$ [2]. Now, let $N(t,v,k,\lambda)$ be the maximum possible number of mutually disjoint cyclic $t-(v,k,\lambda)$ designs. We give a lower bound for $N(2,29,5,5)$ and use the bound to produce an $LS[9](2,5,29)$. First note that:

Remark 2.4. *Consider Theorem 1.1 and Remark 1.2 above and let B be a matrix of size $s \times q$, where $q \leq r$ and all q columns of B are chosen arbitrarily from r columns of $A^v_{t,k}(G)$, then any solution of matrix equation $Bv = \lambda J$ easily yields to a solution u of Kramer-Mesner Matrix equation $A^v_{t,k}(G)u = \lambda J$. Just let u be the zero-one vector each of its entry correspond to each column of $A^v_{t,k}(G)$ such that for all columns in B the vector u has the same entry as v and corresponding for the other columns has zero entry.*

Within the above Remark we can give:

Theorem 2.5. $565 \leq N(2, 29, 5, 5) \leq 585$.

Proof. Let $X = \{0, 1, \ldots, 9, a, b, \ldots, s\}$ and let the permutation group G of order 29 be generated by the cycle $(0 \quad 1 \quad \ldots \quad 9 \quad a \quad b \quad \ldots \quad s)$. In this case $A^{29}_{2,5}(G)$ is of size 14×4095. Via a computer program we could find 565 disjoint binary solutions for the equation $A^{29}_{2,5}(G)u = 5J$. The method is based on the following analysis. The matrix $A^{29}_{2,5}(G)$ has 2002 repeated and 91 non-repeated columns. By Remark 2.4, the matrix equation built with these 2002 repeated columns gives 260 designs with $\lambda = 5$. There are two families of these solutions, so there are 520 solutions for the equation $A^{29}_{2,5}(G)u = 5J$. Deleting the corresponding columns in $A^{29}_{2,5}(G)$ gives a matrix of size 14×455, where again by Remark 2.4 we have to find 45 other designs. To sum up, by Theorem 1.1, all these 565 solutions correspond to distinct 2-$(29, 5, 5)$ designs. In Table1 we exhibit all 565 starter blocks of these designs in columns titled D_i, $1 \leq i \leq 565$. When G acts on all rows (blocks) of each column D_i, then a 2-$(29, 5, 5)$ design is produced. □

In the following we use the above theorem to obtain a new result on large sets of size 9.

Theorem 2.6. $B[9](2, 5) = A[9](2, 5)$.

Proof. By Theorem 2.1 and 2.3 and the existence of $LS[9](2, 3, 29)$ (see[10, 11, 12]) and $LS[9](2, 4, 29)$ (see[4]), it suffices to establish the existence of $LS[9](2, 5, 29)$. All the 520 designs given in the proof of Theorem 2.5 can be partitioned into eight disjoint sets $\beta_1, \ldots \beta_8$, each consisting of 65 blocks of a cyclic 2-$(29, 5, 5)$ designs, each of them is a cyclic 2-(29,5,325) design. Since $\big(X, P_5(X)\big)$ is a cyclic 2-(29,5,2925) design,

the set of blocks $P_5(X) \setminus \bigcup_{i=1}^{8} \beta_i$, called β_9, is a cyclic 2-(29,5,325) design. Now the set $\{\beta_1, \cdots, \beta_9\}$ is an $LS[9](2, 5, 29)$. This completes the proof. □

Based on Theorem 2.3 and the existence of three large sets $LS[9](2, i, 29)$ for $3 \leq i \leq 5$, given in above Theorem and in [4],[13] we may give the following main result.

Corollary 2.7. *The family of* $LS[9](2, 5, 27l+j)$ *for* $l \geq 1$ *and* $2 \leq j < 5$ *exist.*

Table 1. Starter blocks of 565 distinct 2-(29,5,5)designs

$\mathbf{D_1}$	$\mathbf{D_2}$	$\mathbf{D_3}$	$\mathbf{D_4}$	$\mathbf{D_5}$	$\mathbf{D_6}$	$\mathbf{D_7}$	$\mathbf{D_8}$	$\mathbf{D_9}$	$\mathbf{D_{10}}$	$\mathbf{D_{11}}$
01235	01236	01237	01238	01239	0123a	0123b	0123c	0123d	0123e	0123f
0129i	0127e	0125f	0125c	0124i	0125a	0124e	01259	0125b	0125d	0125l
029ek	02adl	029hk	028hl	02aej	028em	028gm	028gl	025bi	026ao	026am
037dn	02aek	02agk	02afk	037ci	02bfj	037cn	029fk	028fn	029fl	028dn
037fj	037ek	037ck	036ek	037dm	036fj	037di	037ch	037cj	036cm	036bk
037fl	037fk	037dl	037gk	037fn	037ej	037do	037fi	037fo	037cl	037cm
05afl	049ek	05agm	04afm	05agl	05bgm	049el	04agn	049fj	049em	04bgm
$\mathbf{D_{12}}$	$\mathbf{D_{13}}$	$\mathbf{D_{14}}$	$\mathbf{D_{15}}$	$\mathbf{D_{16}}$	$\mathbf{D_{17}}$	$\mathbf{D_{18}}$	$\mathbf{D_{19}}$	$\mathbf{D_{20}}$	$\mathbf{D_{21}}$	$\mathbf{D_{22}}$
01245	01246	01247	01248	01249	0124a	0124b	0124c	0124h	0124k	0124n
012ah	0127i	0125g	0125e	0124d	0124g	0124f	0124j	0124l	0124m	0125h
028dj	018dl	019ck	016dj	018di	017cl	018el	016cl	017dl	016el	014ak
02afl	02ahk	028fk	029dl	028ek	028di	027dj	027gn	027cm	027ck	027fk
036ch	036ei	029el	029ej	036ej	037co	036bn	036cj	036bl	036di	029hl
037fm	037dk	037dj	036dl	037em	037el	037bj	037eo	037dp	037dh	036bh
049dk	049en	048dj	039ei	049dj	039dj	049eo	048di	049fk	049fl	049fm
$\mathbf{D_{23}}$	$\mathbf{D_{24}}$	$\mathbf{D_{25}}$	$\mathbf{D_{26}}$	$\mathbf{D_{27}}$	$\mathbf{D_{28}}$	$\mathbf{D_{29}}$	$\mathbf{D_{30}}$	$\mathbf{D_{31}}$	$\mathbf{D_{32}}$	$\mathbf{D_{33}}$
0124o	0124p	0124q	01256	01257	01258	0125m	0125o	0125p	01267	01268
0125i	0125j	0127h	0126h	0126d	0125k	0125n	01269	0126b	0126c	0126e
014ck	018dj	018bj	027dl	016ek	015ch	014bh	017fi	018fl	029gj	014ci
027hl	029fj	026em	028gk	02adk	028el	028fl	028fj	027ei	02afi	029cm
028dk	029gl	028ej	02bej	02ael	029fi	028hk	02agj	028gj	02bek	02bfk
036dk	036cl	037gj	037en	036fi	029il	02bei	02bgj	02adj	037eh	036bj
049fn	037gl	049fo	03adk	048dk	048ej	049ej	049gk	037hk	048dl	037hm
$\mathbf{D_{34}}$	$\mathbf{D_{35}}$	$\mathbf{D_{36}}$	$\mathbf{D_{37}}$	$\mathbf{D_{38}}$	$\mathbf{D_{39}}$	$\mathbf{D_{40}}$	$\mathbf{D_{41}}$	$\mathbf{D_{42}}$	$\mathbf{D_{43}}$	$\mathbf{D_{44}}$
0126a	0126g	0126j	0126l	0126n	01278	01279	0127b	0127d	0127g	0127l
0126f	0126i	0126k	0126m	0126o	0127j	0127a	0127c	0127f	0127k	0127m
0138i	0136l	0136g	0138j	018gk	025dg	015di	0137h	0137k	0136c	0139j
028fi	027ag	027em	026cj	025fi	026fk	026gj	025dl	029cj	027cl	025gj
029ci	029cl	028cl	027gj	029ck	02afj	026gl	027gk	02aei	02cfi	026bi
036al	037bl	036bi	036eh	02aeh	037bf	037ei	036ck	036be	037bm	036dh
049gl	049gm	037bk	048dm	039di	039cj	039ck	037hl	049di	048ck	048ch

Table 1. Continue

$\mathbf{D_{45}}$	$\mathbf{D_{46}}$	$\mathbf{D_{47}}$	$\mathbf{D_{48}}$	$\mathbf{D_{49}}$	$\mathbf{D_{50}}$	$\mathbf{D_{51}}$	$\mathbf{D_{52}}$	$\mathbf{D_{53}}$	$\mathbf{D_{54}}$	$\mathbf{D_{55}}$
$0127n$	01289	$0128c$	$0128e$	$0128f$	$0128g$	$0128k$	$0128m$	$0129a$	$0129c$	$0129f$
$0128a$	$0128b$	$0128d$	$0128h$	$0128i$	$0128j$	$0128l$	$0129b$	$0129d$	$0129e$	$0129j$
$014di$	$025ch$	$0136f$	$0136j$	$0136b$	$0136e$	$0136h$	$014ei$	$025af$	$0136d$	$0136a$
$025fj$	$026fi$	$025dk$	$025ak$	$025ej$	$026bg$	$025fk$	$025gl$	$025ip$	$026hl$	$025ei$
$029di$	$029ei$	$028dh$	$026aj$	$027bk$	$027bj$	$026eo$	$026bh$	$026ej$	$027bg$	$027ci$
$036ai$	$036bg$	$037aj$	$037ep$	$036cg$	$036ak$	$036ah$	$036an$	$036ci$	$036bm$	$036bf$
$038ci$	$048ei$	$048dn$	$038ch$	$048cj$	$037cg$	$048dh$	$037jo$	$037im$	$048ek$	$048el$
$\mathbf{D_{56}}$	$\mathbf{D_{57}}$	$\mathbf{D_{58}}$	$\mathbf{D_{59}}$	$\mathbf{D_{60}}$	$\mathbf{D_{61}}$	$\mathbf{D_{62}}$	$\mathbf{D_{63}}$	$\mathbf{D_{64}}$	$\mathbf{D_{65}}$	$\mathbf{D_{66}}$
$0129g$	$0129h$	$012ab$	$012ac$	$012ad$	$012ai$	$012aj$	$012ak$	$012bc$	$012bd$	$012bi$
$0129k$	$0129l$	$012ae$	$012af$	$012ag$	$012be$	$012bf$	$012bg$	$012cg$	$012bh$	$012ce$
$0136k$	$013dh$	$0258e$	$0137c$	$0136n$	$0136o$	$0137d$	$0147n$	$025kp$	$0149o$	$0158o$
$025io$	$026bp$	$025in$	$025hn$	$025aj$	$026ah$	$027dh$	$0269e$	$027bn$	$0258g$	$0259o$
$026ch$	$027di$	$026dh$	$036dj$	$026di$	$027hm$	$027fo$	$026ei$	$027fn$	$027eo$	$026fl$
$037bh$	$036af$	$037af$	$037bp$	$037cp$	$037bg$	$0369e$	$027in$	$0369d$	$037ag$	$037bn$
$038cg$	$036ao$	$049gn$	$049go$	$048em$	$037hn$	$037bo$	$037cf$	$037ho$	$048ci$	$038bh$
$\mathbf{D_{67}}$	$\mathbf{D_{68}}$	$\mathbf{D_{69}}$	$\mathbf{D_{70}}$	$\mathbf{D_{71}}$	$\mathbf{D_{72}}$	$\mathbf{D_{73}}$	$\mathbf{D_{74}}$	$\mathbf{D_{75}}$	$\mathbf{D_{76}}$	$\mathbf{D_{77}}$
$012bj$	$012cd$	$012ch$	$012de$	$012df$	$012dg$	$012dh$	$012ef$	$012eg$	01346	01347
$012cf$	01358	$012ci$	01359	01349	01348	$0134a$	$0135b$	$0135a$	$0138d$	$0136i$
$0147c$	$015ai$	$0148l$	$015ag$	$015al$	$015bk$	$0149j$	$016ao$	$015an$	$018hk$	$015aj$
$025ap$	$026gm$	$025ao$	$026ck$	$027cj$	$026co$	$026cm$	$025am$	$018cj$	$019ek$	$018ek$
$026fn$	$027fl$	$0269f$	$029em$	$028en$	$028ch$	$026ho$	$028ck$	$026cl$	$027ek$	$027fj$
$027bo$	$037fp$	$028dm$	$036am$	$036aj$	$029fm$	$028hm$	$037ai$	$0369h$	$028ei$	$028dl$
$037gm$	$039ci$	$036ae$	$038bi$	$037bi$	$038bj$	$038bg$	$037gn$	$037go$	$048fj$	$029gk$
$\mathbf{D_{78}}$	$\mathbf{D_{79}}$	$\mathbf{D_{80}}$	$\mathbf{D_{81}}$	$\mathbf{D_{82}}$	$\mathbf{D_{83}}$	$\mathbf{D_{84}}$	$\mathbf{D_{85}}$	$\mathbf{D_{86}}$	$\mathbf{D_{87}}$	$\mathbf{D_{88}}$
$0134b$	$0134d$	$0134f$	$0134g$	01357	$0135f$	$0135h$	$0135j$	$0135l$	$0135n$	$0135p$
$0134c$	$0134e$	$0135c$	$0135d$	$0135e$	$0135g$	$0135i$	$0135k$	$0135m$	$0135o$	$0137b$
$016ch$	$015ak$	$015bm$	$016bm$	$014ai$	$0137a$	$0137n$	$0136m$	$0137e$	$013ch$	$013bg$
$025fl$	$027do$	$019el$	$019fk$	$018fk$	$017ck$	$015cl$	$015em$	$016fk$	$017ek$	$017fk$
$027gm$	$027en$	$026bl$	$026bm$	$019gj$	$018cl$	$018bk$	$019gk$	$01adj$	$019fj$	$01agi$
$028cm$	$028bn$	$027hn$	$026en$	$039gl$	$039hm$	$038em$	$039el$	$038fl$	$038gk$	$039hk$
$048fk$	$048fl$	$037dg$	$037ah$	$04agl$	$04afl$	$04afn$	$04agm$	$04ahl$	$03ahl$	$04ahm$
$\mathbf{D_{89}}$	$\mathbf{D_{90}}$	$\mathbf{D_{91}}$	$\mathbf{D_{92}}$	$\mathbf{D_{93}}$	$\mathbf{D_{94}}$	$\mathbf{D_{95}}$	$\mathbf{D_{96}}$	$\mathbf{D_{97}}$	$\mathbf{D_{98}}$	$\mathbf{D_{99}}$
$0135q$	$0135r$	01367	01368	01369	$0136p$	$0136q$	$0136r$	01378	$0137q$	$0137r$
$0137f$	$0137g$	$0137i$	$0137j$	01379	$0137l$	$0137m$	$0137o$	$0137p$	01389	$0138a$
$0138h$	$0139i$	$0138e$	$0138f$	$015ei$	$0138g$	$013ah$	$018gi$	$015fh$	$013di$	$014ch$
$017hj$	$017fj$	$01aek$	$014dj$	$018gh$	$015ek$	$015ej$	$01aej$	$019hk$	$017gi$	$018fj$
$019dk$	$019dj$	$029hj$	$019hj$	$027hj$	$01bdi$	$018ej$	$01afh$	$028gi$	$027gl$	$019ej$
$03agl$	$039em$	$038hl$	$049hn$	$03ael$	$029dj$	$028ik$	$039gk$	$039ek$	$03bgk$	$026fj$
$049in$	$04bgl$	$049hm$	$049im$	$04afk$	$039hl$	$049hl$	$04aim$	$03afj$	$04ael$	$039fl$
$\mathbf{D_{100}}$	$\mathbf{D_{101}}$	$\mathbf{D_{102}}$	$\mathbf{D_{103}}$	$\mathbf{D_{104}}$	$\mathbf{D_{105}}$	$\mathbf{D_{106}}$	$\mathbf{D_{107}}$	$\mathbf{D_{108}}$	$\mathbf{D_{109}}$	$\mathbf{D_{110}}$
$0138b$	$0138l$	$0138n$	$0138p$	$0138r$	$0139b$	$0139g$	$0139l$	$0139n$	$0139q$	$013ab$
$0138c$	$0138m$	$0138o$	$0138q$	$0139a$	$0139e$	$0139h$	$0139m$	$0139o$	$0139r$	$013ae$
$0138k$	$0139c$	$0139d$	$013bf$	$013ek$	$0139f$	$0139k$	$0139p$	$013ad$	$013ej$	$013af$
$014ej$	$013ei$	$013dj$	$016ej$	$017ej$	$0159g$	$013fp$	$014bf$	$015bg$	$015ci$	$0149f$
$016fl$	$015hn$	$015cj$	$017gk$	$026hm$	$015cg$	$015jn$	$017dh$	$015cm$	$018hl$	$026in$
$026dj$	$027cg$	$026gk$	$028hj$	$038ei$	$025co$	$026jo$	$025gk$	$024dh$	$027el$	$027dn$
$026im$	$04aek$	$03bfk$	$039dk$	$048gk$	$03agk$	$038cj$	$027ch$	$038fj$	$049jn$	$037ko$
$\mathbf{D_{111}}$	$\mathbf{D_{112}}$	$\mathbf{D_{113}}$	$\mathbf{D_{114}}$	$\mathbf{D_{115}}$	$\mathbf{D_{116}}$	$\mathbf{D_{117}}$	$\mathbf{D_{118}}$	$\mathbf{D_{119}}$	$\mathbf{D_{120}}$	$\mathbf{D_{121}}$
$013ac$	$013aj$	$013ak$	$013an$	$013aq$	$013bc$	$013be$	$013bj$	$013bk$	$013bl$	$013bp$
$013ag$	$013al$	$013am$	$013ao$	$013ar$	$013bd$	$013bh$	$013bm$	$013bn$	$013bo$	$013bq$
$013ai$	$0148f$	$013fq$	$013ap$	$014bg$	$0147o$	$013bi$	$0146f$	$013eh$	$013cg$	$013cd$
$0158d$	$015eh$	$0159e$	$014cg$	$016bj$	$015gl$	$015ap$	$015dh$	$0157e$	$0157p$	$015ah$
$016cg$	$015ho$	$015gm$	$01cei$	$016dl$	$026bf$	$017dm$	$017en$	$015in$	$016fn$	$026ep$
$026af$	$025ag$	$026io$	$026bj$	$026ek$	$026gn$	$0259p$	$0259e$	$026ap$	$027eh$	$027dm$
$037io$	$0268e$	$028dg$	$038eo$	$029dh$	$038fm$	$027jn$	$025jp$	$038fo$	$037jn$	$038gn$

Table 1. Continue

$\mathbf{D_{122}}$	$\mathbf{D_{123}}$	$\mathbf{D_{124}}$	$\mathbf{D_{125}}$	$\mathbf{D_{126}}$	$\mathbf{D_{127}}$	$\mathbf{D_{128}}$	$\mathbf{D_{129}}$	$\mathbf{D_{130}}$	$\mathbf{D_{131}}$	$\mathbf{D_{132}}$
$013br$	$013cf$	$013cj$	$013cl$	$013cm$	$013cq$	$013de$	$013df$	$013dg$	$013dn$	$013dr$
$013ce$	$013ci$	$013ck$	$013cn$	$013co$	$013cr$	$013dk$	$013dl$	$013dm$	$013do$	$013em$
$0148c$	01459	$013dq$	$013gq$	$013cp$	$0148e$	$013jo$	$013hn$	$013el$	$013dp$	$013en$
$015eo$	$015dn$	$015bp$	$0157m$	$013go$	$016bl$	$0148p$	$0148n$	$0157b$	$0148g$	$0159p$
$017dk$	$027bl$	$017fm$	$015fm$	$015bf$	$018dk$	$026go$	$015ao$	$0159n$	$015fn$	$016in$
$027bh$	$027ln$	$0268d$	$026cg$	$027bf$	$027dk$	$027bm$	$026do$	$026bn$	$0249k$	$026dl$
$038fn$	$039gm$	$038dh$	$038do$	$039fm$	$028cg$	$039fn$	$038cl$	$038hm$	$038en$	$03aek$
$\mathbf{D_{133}}$	$\mathbf{D_{134}}$	$\mathbf{D_{135}}$	$\mathbf{D_{136}}$	$\mathbf{D_{137}}$	$\mathbf{D_{138}}$	$\mathbf{D_{139}}$	$\mathbf{D_{140}}$	$\mathbf{D_{141}}$	$\mathbf{D_{142}}$	$\mathbf{D_{143}}$
$013ef$	$013eg$	$013eq$	$013fg$	$013fh$	$013fi$	$013fj$	$013fo$	$013gi$	$013gj$	$013gm$
$013eo$	$013ep$	$013er$	$013fm$	$013fn$	$013fk$	$013fl$	$013gh$	$013gl$	$013gk$	$013gn$
$013kn$	$0146a$	$0149l$	$0157c$	$013lp$	$014no$	$013jm$	$014am$	$0147b$	01489	$013hl$
$0159m$	$016cm$	$016bn$	$015bl$	$0149m$	$017bj$	$0159l$	$015bn$	$016al$	$017cm$	$014cn$
$026bo$	$017bl$	$017bk$	$025bm$	$016bo$	$0248o$	$016an$	$024am$	$017al$	$026bk$	$015jo$
$026dn$	$027am$	$026al$	$025lp$	$028cj$	$026dm$	$0269o$	$0259d$	$026an$	$026cn$	$0249l$
$038cm$	$038ck$	$027fm$	$039dl$	$039dm$	$038dl$	$027cn$	$038dm$	$027co$	$027ao$	$038cn$
$\mathbf{D_{144}}$	$\mathbf{D_{145}}$	$\mathbf{D_{146}}$	$\mathbf{D_{147}}$	$\mathbf{D_{148}}$	$\mathbf{D_{149}}$	$\mathbf{D_{150}}$	$\mathbf{D_{151}}$	$\mathbf{D_{152}}$	$\mathbf{D_{153}}$	$\mathbf{D_{154}}$
$013gp$	$013hj$	$013hk$	$013hq$	$013ik$	$013im$	$013ip$	$013jk$	$013jq$	$013km$	$013lm$
$013hi$	$013hm$	$013ho$	$013ij$	$013il$	$013in$	$013iq$	$013jp$	$013kl$	$013kq$	$013ln$
$0148m$	$013jn$	$013hp$	$0149p$	$0145a$	$013io$	$013jl$	$013ko$	$013kp$	$0146h$	$014dg$
$016bk$	$0158n$	$0149n$	$016do$	$018dm$	$0148k$	$016ag$	$016em$	$016ei$	$015dm$	$015go$
$0268c$	$015am$	$016aj$	$026ak$	$026cp$	$015dk$	$016dk$	$0249g$	$026el$	$015fk$	$026ag$
$028bi$	$026ai$	$027bi$	$027aj$	$027im$	$026km$	$028im$	$039fk$	$026fm$	$026dk$	$027ej$
$038dk$	$039en$	$028cn$	$028fm$	$038gm$	$038dj$	$038co$	$03aei$	$038ej$	$038el$	$037in$
$\mathbf{D_{155}}$	$\mathbf{D_{156}}$	$\mathbf{D_{157}}$	$\mathbf{D_{158}}$	$\mathbf{D_{159}}$	$\mathbf{D_{160}}$	$\mathbf{D_{161}}$	$\mathbf{D_{162}}$	$\mathbf{D_{163}}$	$\mathbf{D_{164}}$	$\mathbf{D_{165}}$
$013lo$	$013mn$	$013mp$	$013no$	$013nq$	$013op$	$013oq$	$013pq$	01458	$0145b$	$0145g$
$013lq$	$013mo$	$013mq$	$013np$	$0145d$	$0145c$	$0145e$	$0146e$	$0146c$	$0145f$	01468
$014bi$	$014dh$	$016bi$	$015fi$	$015dj$	$018ei$	$015bh$	$015fl$	$017fh$	$016dh$	$015en$
$016gk$	$016bf$	$019ei$	$019dl$	$017ei$	$025gi$	$018em$	$017gj$	$01bdj$	$025el$	$019bh$
$018dh$	$024di$	$019fh$	$026gi$	$028fh$	$029jl$	$029ik$	$028jl$	$029dm$	$025fm$	$025ek$
$027eg$	$038ek$	$027gi$	$03aej$	$029bj$	$038hn$	$02adh$	$029dk$	$029eh$	$028ag$	$028il$
$028ci$	$03aem$	$039fj$	$03afl$	$038di$	$039im$	$03afk$	$038fk$	$039ej$	$028bk$	$03afm$
$\mathbf{D_{166}}$	$\mathbf{D_{167}}$	$\mathbf{D_{168}}$	$\mathbf{D_{169}}$	$\mathbf{D_{170}}$	$\mathbf{D_{171}}$	$\mathbf{D_{172}}$	$\mathbf{D_{173}}$	$\mathbf{D_{174}}$	$\mathbf{D_{175}}$	$\mathbf{D_{176}}$
01469	$0146d$	$0146j$	$0146m$	$0146o$	$0146q$	01479	$0147a$	$0147h$	$0147j$	$0147l$
$0146b$	$0146g$	$0146k$	$0146n$	$0146p$	$0147d$	$0147e$	$0147g$	$0147i$	$0147k$	$0147m$
$015el$	$0146i$	$0146l$	$0147f$	$015ck$	$015bj$	$0149g$	$015cn$	$0148d$	$0149i$	$0149e$
$017eg$	$016fm$	$017cj$	$019di$	$018fh$	$016gi$	$016di$	$016gl$	$015jl$	$0157f$	$015kl$
$01aci$	$018aj$	$017km$	$01ahj$	$018hj$	$018gl$	$01afj$	$019bg$	$016bg$	$016hm$	$026ci$
$02cfj$	$027ai$	$025dm$	$027fh$	$026eh$	$024bj$	$026ik$	$024ch$	$028ah$	$024bg$	$027ik$
$03bfl$	$039dh$	$03bfj$	$038jn$	$039gj$	$027hk$	$028ai$	$024ck$	$028km$	$028aj$	$027jl$
$\mathbf{D_{177}}$	$\mathbf{D_{178}}$	$\mathbf{D_{179}}$	$\mathbf{D_{180}}$	$\mathbf{D_{181}}$	$\mathbf{D_{182}}$	$\mathbf{D_{183}}$	$\mathbf{D_{184}}$	$\mathbf{D_{185}}$	$\mathbf{D_{186}}$	$\mathbf{D_{187}}$
01469	$0146d$	$0146j$	$0146m$	$0146o$	$0146q$	01479	$0147a$	$0147h$	$0147j$	$0147l$
$0146b$	$0146g$	$0146k$	$0146n$	$0146p$	$0147d$	$0147e$	$0147g$	$0147i$	$0147k$	$0147m$
$015el$	$0146i$	$0146l$	$0147f$	$015ck$	$015bj$	$0149g$	$015cn$	$0148d$	$0149i$	$0149e$
$017eg$	$016fm$	$017cj$	$019di$	$018fh$	$016gi$	$016di$	$016gl$	$015jl$	$0157f$	$015kl$
$01aci$	$018aj$	$017km$	$01ahj$	$018hj$	$018gl$	$01afj$	$019bg$	$016bg$	$016hm$	$026ci$
$02cfj$	$027ai$	$025dm$	$027fh$	$026eh$	$024bj$	$026ik$	$024ch$	$028ah$	$024bg$	$027ik$
$03bfl$	$039dh$	$03bfj$	$038jn$	$039gj$	$027hk$	$028ai$	$024ck$	$028km$	$028aj$	$027jl$
$\mathbf{D_{188}}$	$\mathbf{D_{189}}$	$\mathbf{D_{190}}$	$\mathbf{D_{191}}$	$\mathbf{D_{192}}$	$\mathbf{D_{193}}$	$\mathbf{D_{194}}$	$\mathbf{D_{195}}$	$\mathbf{D_{196}}$	$\mathbf{D_{197}}$	$\mathbf{D_{198}}$
$014ao$	$014bd$	$014bj$	$014bl$	$014bn$	$014bq$	$014cf$	$014cm$	$014cq$	$014dl$	$014do$
$014aq$	$014be$	$014bk$	$014bm$	$014bp$	$014cd$	$014cl$	$014cp$	$014dk$	$014dm$	$014dq$
$014ce$	$014bo$	$014co$	$014dp$	$014de$	$0156h$	$014dn$	$014df$	$014em$	$014fn$	$014fk$
$016im$	$015hm$	$014go$	$016eg$	$0168h$	$024ag$	$0157g$	$016bd$	$0168o$	$0167c$	$0168f$
$01bgi$	$0179f$	$0168e$	$016ln$	$0249i$	$0279g$	$016gm$	$017ag$	$016jl$	$0247i$	$017di$
$0279h$	$024af$	$0257h$	$0257g$	$025an$	$028bl$	$0249f$	$025eo$	$0249j$	$025fo$	$024ac$
$028bg$	$025en$	$026df$	$026cf$	$028eh$	$038in$	$025ac$	$0268f$	$025bh$	$026jl$	$027al$

Table 1. Continue

$\mathbf{D_{199}}$	$\mathbf{D_{200}}$	$\mathbf{D_{201}}$	$\mathbf{D_{202}}$	$\mathbf{D_{203}}$	$\mathbf{D_{204}}$	$\mathbf{D_{205}}$	$\mathbf{D_{206}}$	$\mathbf{D_{207}}$	$\mathbf{D_{208}}$	$\mathbf{D_{209}}$
$014ef$	$014eg$	$014eh$	$014eo$	$014fg$	$014fi$	$014fj$	$014fm$	$014fp$	$014gj$	$014gn$
$014ek$	$014el$	$014en$	$014eq$	$014fl$	$014fo$	$014gk$	$014gh$	$014gi$	$014gm$	$014gp$
01579	$014ep$	$0158g$	$014gl$	$014ln$	$0156d$	$0157d$	$014io$	$014hn$	$014ho$	$014hj$
$018ck$	$0157o$	$0168c$	$0168l$	$015co$	$018ah$	$0169i$	$0179h$	$0169l$	$016eo$	$0168n$
$025bn$	$0169n$	$0179i$	$017jl$	$0249m$	$025cl$	$0179k$	$024bl$	$018ai$	$019bi$	$019bl$
$025ho$	$0279i$	$0249e$	$025cn$	$025bl$	$025ln$	$0257d$	$0257b$	$025bo$	$0249c$	$025bp$
$027kn$	$028bj$	$025bj$	$026bd$	$027an$	$026dp$	$027ah$	$038dn$	$026mo$	$0249n$	$025do$
$\mathbf{D_{210}}$	$\mathbf{D_{211}}$	$\mathbf{D_{212}}$	$\mathbf{D_{213}}$	$\mathbf{D_{214}}$	$\mathbf{D_{215}}$	$\mathbf{D_{216}}$	$\mathbf{D_{217}}$	$\mathbf{D_{218}}$	$\mathbf{D_{219}}$	$\mathbf{D_{220}}$
$014hi$	$014hk$	$014hl$	$014hp$	$014im$	$014ip$	$014jl$	$014jn$	$014kl$	$014kn$	$014lm$
$014hm$	$014ik$	$014ij$	$014il$	$014in$	$014jk$	$014jm$	$014jp$	$014km$	$014kp$	$014lo$
$014jo$	$0158m$	$0157a$	$015bo$	$014ko$	$0157i$	$0156e$	$0157h$	$0157l$	$015bd$	$015gn$
$016km$	$016co$	$0179g$	$017fl$	$0168k$	$018ag$	$016en$	$018bh$	$016hn$	$016il$	$017ce$
$0248n$	$018af$	$025go$	$017ik$	$0179l$	$025cp$	$0259i$	$019eg$	$024ci$	$017df$	$024eg$
$025cm$	$024ak$	$026hn$	$0249b$	$025ci$	$027cf$	$025cj$	$025bd$	$025ko$	$024bi$	$025al$
$028bm$	$0259n$	$027ak$	$025cf$	$025df$	$028bh$	$0268i$	$025em$	$038fi$	$025ck$	$039dn$
$\mathbf{D_{221}}$	$\mathbf{D_{222}}$	$\mathbf{D_{223}}$	$\mathbf{D_{224}}$	$\mathbf{D_{225}}$	$\mathbf{D_{226}}$	$\mathbf{D_{227}}$	$\mathbf{D_{228}}$	$\mathbf{D_{229}}$	$\mathbf{D_{230}}$	$\mathbf{D_{231}}$
$014lp$	$014mo$	$014np$	$014op$	$0156a$	$0156c$	$0156g$	$0158b$	$0158c$	$0158i$	$0158k$
$014mn$	$014mp$	$0156b$	$0157k$	$0157n$	$0156f$	$0158a$	$0158e$	$0158f$	$0158j$	$0158l$
$016gn$	$016ak$	$017el$	$0168j$	$0179m$	$018am$	$0158h$	$0159f$	$016ce$	$015ab$	$015ac$
$016hk$	$016cj$	$019cl$	$016eh$	$019cj$	$024be$	$017dg$	$016hi$	$017ak$	$018eg$	$0167h$
$024bk$	$018eh$	$024dg$	$024cj$	$024ei$	$0269i$	$024aj$	$025jl$	$01ceh$	$025ce$	$024ai$
$025fh$	$024fh$	$026hj$	$029cg$	$02adg$	$026il$	$024bh$	$028cf$	$0248l$	$0268h$	$026hk$
$025fn$	$029ch$	$038jm$	$039il$	$038hk$	$038gj$	$03ail$	$029bi$	$025bk$	$037kn$	$029cf$
$\mathbf{D_{232}}$	$\mathbf{D_{233}}$	$\mathbf{D_{234}}$	$\mathbf{D_{235}}$	$\mathbf{D_{236}}$	$\mathbf{D_{237}}$	$\mathbf{D_{238}}$	$\mathbf{D_{239}}$	$\mathbf{D_{240}}$	$\mathbf{D_{241}}$	$\mathbf{D_{242}}$
$0158p$	$0159c$	$0159d$	$0159h$	$0159k$	$0159o$	$015ae$	$015af$	$015ce$	$015cp$	$015dg$
$0159b$	$0159i$	$015bc$	$0159j$	$015ad$	$015be$	$015bi$	$015cd$	$015cf$	$015de$	$015do$
$0168g$	$016gj$	$017af$	$016hj$	$0167d$	$0169m$	$015mn$	$0169h$	$015dl$	$017aj$	$015eg$
$016dg$	$0179b$	$017hk$	$0179n$	$017jm$	$017ij$	$018al$	$018bf$	$017ac$	$018fi$	$017am$
$0179j$	$017gm$	$024df$	$018be$	$024cf$	$024ce$	$024eh$	$024bd$	$017an$	$0247d$	$01acj$
$02beh$	$025hj$	$0258n$	$0247e$	$025ik$	$0258m$	$0258f$	$026ce$	$024ae$	$0258j$	$0247a$
$02bfi$	$027ad$	$027jm$	$025be$	$0269l$	$029dg$	$028be$	$0369g$	$025kn$	$0268g$	$0269n$
$\mathbf{D_{243}}$	$\mathbf{D_{244}}$	$\mathbf{D_{245}}$	$\mathbf{D_{246}}$	$\mathbf{D_{247}}$	$\mathbf{D_{248}}$	$\mathbf{D_{249}}$	$\mathbf{D_{250}}$	$\mathbf{D_{251}}$	$\mathbf{D_{252}}$	$\mathbf{D_{253}}$
$015dp$	$015ef$	$015ep$	$015fj$	$015fo$	$015gj$	$015gk$	$015hl$	$015il$	$015im$	$015jk$
$015fg$	$015gi$	$015hj$	$015hk$	$015gh$	$015hi$	$015ik$	$015ij$	$015io$	$015jm$	$015km$
$0178i$	$016am$	$0167e$	$0179c$	$017ad$	$017em$	$016mn$	$0178f$	$0168a$	$0179d$	$017bd$
$024al$	$018bi$	$018bm$	$017dn$	$018jl$	$019bk$	$017ai$	$025jn$	$018gj$	$019bf$	$017il$
$0257f$	$0258b$	$024ad$	$019gi$	$0247c$	$0248e$	$0248m$	$025km$	$019fi$	$01agj$	$0247g$
$0269m$	$0259m$	$0258h$	$0248b$	$0269h$	$0258o$	$0258l$	$025np$	$0247j$	$0257e$	$0269c$
$0369i$	$026ln$	$0269j$	$025ad$	$028bf$	$025mp$	$025jm$	$039jm$	$0269g$	$0258i$	$038gl$
$\mathbf{D_{254}}$	$\mathbf{D_{255}}$	$\mathbf{D_{256}}$	$\mathbf{D_{257}}$	$\mathbf{D_{258}}$	$\mathbf{D_{259}}$	$\mathbf{D_{260}}$	$\mathbf{D_{261}}$	$\mathbf{D_{262}}$	$\mathbf{D_{263}}$	$\mathbf{D_{264}}$
$0123r$	$0123q$	$0123p$	$0123o$	$0123n$	$0123m$	$0123l$	$0123k$	$0123j$	$0123i$	$0123h$
$012dm$	$012ho$	$012gq$	$012jq$	$012dr$	$012lq$	$012hr$	$012mq$	$012kq$	$012iq$	$012aq$
$02bhm$	$02ail$	$02bem$	$02aen$	$02chl$	$029hn$	$029fn$	$02afn$	$02dkq$	$027lp$	$029lp$
$039jp$	$02bhl$	$02bfl$	$02bgl$	$03ekp$	$02cgk$	$039kp$	$02bgm$	$028gn$	$02agm$	$028in$
$03dhp$	$03cip$	$03ckp$	$036fl$	$03ajp$	$036gk$	$03ejp$	$03fkp$	$03dkp$	$036dn$	$036fo$
$03bhp$	$03chp$	$03bjp$	$03cgp$	$039hp$	$03dip$	$038jp$	$03bfi$	$038hp$	$03bkp$	$03akp$
$05afn$	$04djo$	$05ahn$	$04bin$	$05ain$	$05bgn$	$04cjo$	$04ahn$	$04afj$	$04bjo$	$04bhm$
$\mathbf{D_{265}}$	$\mathbf{D_{266}}$	$\mathbf{D_{267}}$	$\mathbf{D_{268}}$	$\mathbf{D_{269}}$	$\mathbf{D_{270}}$	$\mathbf{D_{271}}$	$\mathbf{D_{272}}$	$\mathbf{D_{273}}$	$\mathbf{D_{274}}$	$\mathbf{D_{275}}$
$012qr$	$012pr$	$012or$	$012nr$	$012mr$	$012lr$	$012kr$	$012jr$	$012er$	$012br$	$0128r$
$012el$	$012do$	$012fq$	$012hq$	$012ir$	$012fr$	$012gr$	$012cr$	$012ar$	$0129r$	$012eq$
$02cin$	$019hm$	$01ail$	$01bho$	$01chm$	$019in$	$019gm$	$019io$	$019hn$	$019go$	$01akq$
$02agl$	$02bel$	$02bgn$	$02aim$	$02bhn$	$02din$	$02cio$	$028fo$	$029jo$	$02bjo$	$02bgo$
$036in$	$036hl$	$02ahm$	$02chm$	$036gl$	$038kp$	$036co$	$036gn$	$036eo$	$036hm$	$02aem$
$03ahp$	$03cjp$	$03djp$	$036em$	$03aip$	$03bip$	$03dlp$	$038ip$	$037jp$	$03fjp$	$036io$
$049dm$	$04ajo$	$048io$	$03ein$	$049dn$	$03djn$	$049jo$	$048jo$	$04dio$	$04cio$	$04bio$

Table 1. Continue

$\mathbf{D_{276}}$	$\mathbf{D_{277}}$	$\mathbf{D_{278}}$	$\mathbf{D_{279}}$	$\mathbf{D_{280}}$	$\mathbf{D_{281}}$	$\mathbf{D_{282}}$	$\mathbf{D_{283}}$	$\mathbf{D_{284}}$	$\mathbf{D_{285}}$	$\mathbf{D_{286}}$
$012qr$	$012pr$	$012or$	$012nr$	$012mr$	$012lr$	$012kr$	$012jr$	$012er$	$012br$	$0128r$
$012el$	$012do$	$012fq$	$012hq$	$012ir$	$012fr$	$012gr$	$012cr$	$012ar$	$0129r$	$012eq$
$02cin$	$019hm$	$01ail$	$01bho$	$01chm$	$019in$	$019gm$	$019io$	$019hn$	$019go$	$01akq$
$02agl$	$02bel$	$02bgn$	$02aim$	$02bhn$	$02din$	$02cio$	$028fo$	$029jo$	$02bjo$	$02bgo$
$036in$	$036hl$	$02ahm$	$02chm$	$036gl$	$038kp$	$036co$	$036gn$	$036eo$	$036hm$	$02aem$
$03ahp$	$03cjp$	$03djp$	$036em$	$03aip$	$03bip$	$03dlp$	$038ip$	$037jp$	$03fjp$	$036io$
$049dm$	$04ajo$	$048io$	$03ein$	$049dn$	$03djn$	$049jo$	$048jo$	$04dio$	$04cio$	$04bio$
$\mathbf{D_{287}}$	$\mathbf{D_{288}}$	$\mathbf{D_{289}}$	$\mathbf{D_{290}}$	$\mathbf{D_{291}}$	$\mathbf{D_{292}}$	$\mathbf{D_{293}}$	$\mathbf{D_{294}}$	$\mathbf{D_{295}}$	$\mathbf{D_{296}}$	$\mathbf{D_{297}}$
$012lp$	$012fp$	$012cp$	$012ap$	$0128p$	$012no$	$012mo$	$012ko$	$012io$	$012fo$	$012ao$
$012gp$	$012dp$	$012bp$	$0129p$	$0127p$	$012co$	$012lo$	$012jo$	$012go$	$012bo$	$0129o$
$01cmr$	$019or$	$01eor$	$01bmr$	$01aem$	$02fiq$	$01chp$	$01dnr$	$01anr$	$01ior$	$01blr$
$02dgn$	$02flo$	$029ho$	$02cjp$	$02dgq$	$02bgp$	$02cfp$	$02aiq$	$02cjm$	$02ajo$	$02cfq$
$02djm$	$02ajm$	$02ajn$	$02cfo$	$02bjm$	$02cgl$	$02afp$	$02bfo$	$02dhl$	$02dgj$	$02dkp$
$036ep$	$03blp$	$036ho$	$036il$	$02ehl$	$03hlp$	$03eip$	$036fn$	$036lo$	$03alp$	$036im$
$04cho$	$04bho$	$03clp$	$048fo$	$03ejn$	$039cm$	$039cl$	$03bfp$	$049do$	$048cl$	$048co$
$\mathbf{D_{298}}$	$\mathbf{D_{299}}$	$\mathbf{D_{300}}$	$\mathbf{D_{301}}$	$\mathbf{D_{302}}$	$\mathbf{D_{303}}$	$\mathbf{D_{304}}$	$\mathbf{D_{305}}$	$\mathbf{D_{306}}$	$\mathbf{D_{307}}$	$\mathbf{D_{308}}$
$0128o$	$012mn$	$012jn$	$012hn$	$012gn$	$012fn$	$012bn$	$0129n$	$012lm$	$012jm$	$012gm$
$012ln$	$012kn$	$012in$	$012en$	$012dn$	$012cn$	$012an$	$012km$	$012im$	$012hm$	$012cm$
$01chq$	$02ejq$	$01for$	$01bor$	$01jor$	$01gor$	$01dor$	$01cgq$	$02glq$	$01hor$	$01kor$
$02cgq$	$02dgp$	$02biq$	$02blq$	$02chq$	$02fkp$	$02bgq$	$02afq$	$026dq$	$02aep$	$02dhq$
$02dim$	$02dhm$	$02ein$	$02clp$	$02bko$	$02cko$	$027hp$	$02ekp$	$02chp$	$02fko$	$02djo$
$036hp$	$036jo$	$037ak$	$037ip$	$036jn$	$036fp$	$036ip$	$036cp$	$036hn$	$036do$	$036ko$
$03eko$	$048jn$	$048eo$	$03fko$	$048cm$	$03gkp$	$048ko$	$038dp$	$03aep$	$048hn$	$048gn$
$\mathbf{D_{309}}$	$\mathbf{D_{310}}$	$\mathbf{D_{311}}$	$\mathbf{D_{312}}$	$\mathbf{D_{313}}$	$\mathbf{D_{314}}$	$\mathbf{D_{315}}$	$\mathbf{D_{316}}$	$\mathbf{D_{317}}$	$\mathbf{D_{318}}$	$\mathbf{D_{319}}$
$012fm$	$012em$	$012kl$	$012jl$	$012il$	$012dl$	$012cl$	$012bl$	$012jk$	$012ik$	$012dk$
$012bm$	$012am$	$012hl$	$012gl$	$012fl$	$012hk$	$012gk$	$012fk$	$012fj$	$012ek$	$012hj$
$01aor$	$01dhr$	$02hnq$	$01inr$	$017or$	$016or$	$01hnr$	$017nq$	$026bq$	$016lq$	$016mp$
$027dq$	$026kp$	$028dq$	$028eq$	$02clq$	$02elp$	$02eio$	$02hmp$	$028ko$	$02fnq$	$027mq$
$02ejp$	$02dio$	$02eip$	$036gm$	$02dip$	$029eo$	$027go$	$02dhp$	$028go$	$027ho$	$02agp$
$03flp$	$036kp$	$037ao$	$037lp$	$037kp$	$03glp$	$0369o$	$028do$	$0369p$	$037an$	$039lp$
$03gko$	$036bp$	$04aho$	$049ho$	$048fn$	$039fp$	$038lp$	$038cf$	$038fp$	$048cn$	$038bn$
$\mathbf{D_{320}}$	$\mathbf{D_{321}}$	$\mathbf{D_{322}}$	$\mathbf{D_{323}}$	$\mathbf{D_{324}}$	$\mathbf{D_{325}}$	$\mathbf{D_{326}}$	$\mathbf{D_{327}}$	$\mathbf{D_{328}}$	$\mathbf{D_{329}}$	$\mathbf{D_{330}}$
$012ck$	$012ij$	$012ej$	$012hi$	$012gi$	$012fi$	$012ei$	$012gh$	$012fh$	$0134r$	$0134q$
$012gj$	$01mpr$	$012dj$	$01lpr$	$0134o$	$0134p$	$0134n$	$01jpr$	$01kpr$	$01hmr$	$01cor$
$01inq$	$01ckp$	$019mq$	$01ekp$	$019kp$	$01ajp$	$01blq$	$016ko$	$017kp$	$01adm$	$01bkp$
$026lq$	$029fp$	$027lq$	$02bjp$	$02cjo$	$027jp$	$029jp$	$029lq$	$01bim$	$01agl$	$01agm$
$028gp$	$02ago$	$02gmp$	$029hm$	$028hn$	$02ejn$	$027ep$	$02bjn$	$02ajp$	$02bho$	$02cgo$
$027ko$	$037hp$	$029in$	$036dp$	$036gp$	$029gm$	$029en$	$037al$	$0369l$	$02dhn$	$02ain$
$03agp$	$039cn$	$036lp$	$038bm$	$03elp$	$038bl$	$038bo$	$039gp$	$038gp$	$048im$	$02bfm$
$\mathbf{D_{331}}$	$\mathbf{D_{332}}$	$\mathbf{D_{333}}$	$\mathbf{D_{334}}$	$\mathbf{D_{335}}$	$\mathbf{D_{336}}$	$\mathbf{D_{337}}$	$\mathbf{D_{338}}$	$\mathbf{D_{339}}$	$\mathbf{D_{340}}$	$\mathbf{D_{341}}$
$0134m$	$0134k$	$0134i$	$0134h$	$01npr$	$01fpr$	$01dpr$	$01bpr$	$019pr$	$017pr$	$015pr$
$0134l$	$0134j$	$01ipr$	$01hpr$	$01gpr$	$01epr$	$01cpr$	$01apr$	$018pr$	$016pr$	$01jnr$
$01dio$	$01akp$	$018jp$	$018jo$	$01ckq$	$01knr$	$017nr$	$018or$	$01gnr$	$01dir$	$01ejr$
$02agq$	$027io$	$019gl$	$01afl$	$01afm$	$01ain$	$019ip$	$018gp$	$01afo$	$01agn$	$01afn$
$029fo$	$028ho$	$02akp$	$029kp$	$01bel$	$019im$	$01ajm$	$01ael$	$01bhk$	$01bfl$	$01cek$
$029jn$	$028kn$	$028eo$	$028hp$	$03bgn$	$03afn$	$03aio$	$03bin$	$03bho$	$03cgo$	$03bhk$
$048hm$	$048gm$	$039dg$	$037am$	$04chn$	$04cin$	$04ain$	$04bhn$	$04bhl$	$03bfm$	$04bgn$
$\mathbf{D_{342}}$	$\mathbf{D_{343}}$	$\mathbf{D_{344}}$	$\mathbf{D_{345}}$	$\mathbf{D_{346}}$	$\mathbf{D_{347}}$	$\mathbf{D_{348}}$	$\mathbf{D_{349}}$	$\mathbf{D_{350}}$	$\mathbf{D_{351}}$	$\mathbf{D_{352}}$
$014pr$	$013pr$	01467	$01mor$	$01lor$	$015or$	$014or$	$013or$	01578	$014nr$	$013nr$
$01fnr$	$01enr$	$01cnr$	$01bnr$	$01lnr$	$019nr$	$018nr$	$016nr$	$015nr$	01689	$01kmr$
$01dmr$	$01clr$	$01gmr$	$01fmr$	$01cgp$	$01emr$	$01dkr$	$01cem$	$01dfp$	$01chr$	$01diq$
$01bdn$	$01bfn$	$01agk$	$01bhq$	$019gh$	$01agp$	$01bgp$	$01bgk$	$01adl$	$01cen$	$01bfm$
$01ahl$	$01bhl$	$02ahj$	$01bdl$	$02ceo$	$01chj$	$01bgm$	$01dfk$	$02agi$	$02afo$	$01bgl$
$03bgm$	$03ain$	$03bfo$	$04ago$	$03bim$	$02cim$	$02bdn$	$03cgn$	$03cin$	$03cgl$	$02cgp$
$04afo$	$04chm$	$04bgo$	$04bfo$	$04din$	$03bfn$	$04cgo$	$04bfn$	$03dhm$	$04aem$	$03bhn$

Table 1. Continue

$\mathbf{D_{353}}$	$\mathbf{D_{354}}$	$\mathbf{D_{355}}$	$\mathbf{D_{356}}$	$\mathbf{D_{357}}$	$\mathbf{D_{358}}$	$\mathbf{D_{359}}$	$\mathbf{D_{360}}$	$\mathbf{D_{361}}$	$\mathbf{D_{362}}$	$\mathbf{D_{363}}$
$014pr$	$013pr$	01467	$01mor$	$01lor$	$015or$	$014or$	$013or$	01578	$014nr$	$013nr$
$01fnr$	$01enr$	$01cnr$	$01bnr$	$01lnr$	$019nr$	$018nr$	$016nr$	$015nr$	01689	$01kmr$
$01dmr$	$01clr$	$01gmr$	$01fmr$	$01cgp$	$01emr$	$01dkr$	$01cem$	$01dfp$	$01chr$	$01diq$
$01bdn$	$01bfn$	$01agk$	$01bhq$	$019gh$	$01agp$	$01bgp$	$01bgk$	$01adl$	$01cen$	$01bfm$
$01ahl$	$01bhl$	$02ahj$	$01bdl$	$02ceo$	$01chj$	$01bgm$	$01dfk$	$02agi$	$02afo$	$01bgl$
$03bgm$	$03ain$	$03bfo$	$04ago$	$03bim$	$02cim$	$02bdn$	$03cgn$	$03cin$	$03cgl$	$02cgp$
$04afo$	$04chm$	$04bgo$	$04bfo$	$04din$	$03bfn$	$04cgo$	$04bfn$	$03dhm$	$04aem$	$03bhn$
$\mathbf{D_{364}}$	$\mathbf{D_{365}}$	$\mathbf{D_{366}}$	$\mathbf{D_{367}}$	$\mathbf{D_{368}}$	$\mathbf{D_{369}}$	$\mathbf{D_{370}}$	$\mathbf{D_{371}}$	$\mathbf{D_{372}}$	$\mathbf{D_{373}}$	$\mathbf{D_{374}}$
$01ikr$	$01bkr$	$01akr$	$017kr$	$014kr$	$019bc$	$01gjr$	$01bjr$	$01ajr$	$019jr$	$015jr$
$01ekr$	$019kr$	$018kr$	$016kr$	$013kr$	$01hjr$	$01djr$	$018jr$	$017jr$	$016jr$	$014jr$
$01ckr$	$01fmq$	$014fr$	$015kr$	$01ejq$	$016nq$	$01cjr$	$01foq$	$01dgr$	$01eir$	$01acd$
$01hmp$	$01dgp$	$01glp$	$01eiq$	$01bjo$	$019ep$	$015kp$	$01dhp$	$01gnp$	$015np$	$01dkp$
$01eio$	$016dp$	$018ep$	$01cgi$	$019ho$	$02gkp$	$018hn$	$017gn$	$017cp$	$017fo$	$026hp$
$02glp$	$02flq$	$027dp$	$02ckp$	$02bhp$	$028fp$	$026mq$	$02hmq$	$026lp$	$02eho$	$029io$
$038ep$	$0268n$	$02fin$	$038io$	$02eim$	$03aho$	$028co$	$026cq$	$038ho$	$039dp$	$039go$
$\mathbf{D_{375}}$	$\mathbf{D_{376}}$	$\mathbf{D_{377}}$	$\mathbf{D_{378}}$	$\mathbf{D_{379}}$	$\mathbf{D_{380}}$	$\mathbf{D_{381}}$	$\mathbf{D_{382}}$	$\mathbf{D_{383}}$	$\mathbf{D_{384}}$	$\mathbf{D_{385}}$
$013jr$	$01fir$	$01bir$	$019ir$	$018ir$	$014ir$	$01bde$	$01fhr$	$01ehr$	$017hr$	$013hr$
$01gir$	$01cir$	$01air$	$017ir$	$016ir$	$013ir$	$01ahr$	$019hr$	$018hr$	$016hr$	$018gr$
$01imq$	$0145p$	$014hr$	$014er$	$015ir$	$01gmq$	$016br$	$017dr$	$019gr$	$015hr$	$017gr$
$016gp$	$017hp$	$015jp$	$018np$	$016er$	$019jo$	$015mq$	$017mq$	$01jnp$	$01emq$	$015lp$
$01ahn$	$02ako$	$018fn$	$018fp$	$01fjp$	$01ahm$	$027fp$	$016kp$	$017lp$	$017fp$	$017co$
$02eko$	$028ao$	$0268o$	$02fjp$	$02gko$	$02bio$	$029ko$	$027ip$	$028kp$	$024do$	$02aip$
$039ho$	$03agn$	$03fjo$	$038jo$	$03ahn$	$02fjn$	$039hn$	$03bko$	$03afo$	$039io$	$03cim$
$\mathbf{D_{386}}$	$\mathbf{D_{387}}$	$\mathbf{D_{388}}$	$\mathbf{D_{389}}$	$\mathbf{D_{390}}$	$\mathbf{D_{391}}$	$\mathbf{D_{392}}$	$\mathbf{D_{393}}$	$\mathbf{D_{394}}$	$\mathbf{D_{395}}$	$\mathbf{D_{396}}$
$01cef$	$01egr$	$014gr$	$01dfg$	$01dfr$	$01cfr$	$01bfr$	$016fr$	$01cer$	$01ber$	$018er$
$016gr$	$015gr$	$013gr$	$018fr$	$017fr$	$01afr$	$019fr$	$01der$	$019er$	$01aer$	$017er$
$017ar$	$01koq$	$019lq$	$01inp$	$0159r$	$0167q$	$018br$	$018kq$	$01jnq$	01589	$019dr$
$018lp$	$018io$	$017jo$	$019jp$	$018lq$	$01bjn$	$019lp$	$017jp$	$019ko$	$018in$	$017iq$
$027kp$	$019jn$	$01ajn$	$029kq$	$016jo$	$0249p$	$017ko$	$024bn$	$019kn$	$02bkp$	$016bp$
$028ip$	$029lo$	$02alp$	$026aq$	$02cjn$	$029ip$	$027mp$	$02imq$	$028lp$	$028jp$	$024co$
$03ako$	$03cko$	$029go$	$03bjn$	$03ajn$	$03bjo$	$028jo$	$03ajo$	$027jo$	$027lo$	$039ko$
$\mathbf{D_{397}}$	$\mathbf{D_{398}}$	$\mathbf{D_{399}}$	$\mathbf{D_{400}}$	$\mathbf{D_{401}}$	$\mathbf{D_{402}}$	$\mathbf{D_{403}}$	$\mathbf{D_{404}}$	$\mathbf{D_{405}}$	$\mathbf{D_{406}}$	$\mathbf{D_{407}}$
$015er$	$01bdr$	$01adr$	$014dr$	$01acr$	$018cr$	$015cr$	$01abr$	$014br$	$018ar$	$0189r$
$01cdr$	$018dr$	$016dr$	$01bcr$	$019cr$	$017cr$	$014cr$	$015br$	$019ar$	$014ar$	$0179r$
$018mq$	$017br$	$015dr$	$015lq$	$0145o$	$016cr$	$019br$	$016ar$	$015ar$	$01doq$	$01ehq$
$01ajo$	$017mp$	$017lq$	$016ho$	$018hm$	$01amq$	$01eko$	$018go$	$01cgo$	$018hp$	$016ep$
$0268p$	$018kp$	$01bko$	$02blp$	$026jp$	$01ahp$	$01aho$	$024ho$	$02ahp$	$01afp$	$02flp$
$02dkn$	$02dlp$	$02dko$	$02clo$	$029do$	$029bp$	$029dn$	$03chn$	$029gp$	$02bip$	$02cho$
$03cjo$	$039in$	$028jn$	$029gn$	$03ago$	$03djo$	$038ko$	$03eim$	$03dio$	$03bio$	$039ep$
$\mathbf{D_{408}}$	$\mathbf{D_{409}}$	$\mathbf{D_{410}}$	$\mathbf{D_{411}}$	$\mathbf{D_{412}}$	$\mathbf{D_{413}}$	$\mathbf{D_{414}}$	$\mathbf{D_{415}}$	$\mathbf{D_{416}}$	$\mathbf{D_{417}}$	$\mathbf{D_{418}}$
$0169r$	$0178r$	$0158r$	$0167r$	$0147r$	$0156r$	$0146r$	$0145r$	$0145q$	$0145n$	$0145i$
$0149r$	$0168r$	$0148r$	$0157r$	$0145l$	$0145m$	$0145k$	$01goq$	$01ioq$	$0145j$	$01moq$
$01cjq$	$01dhq$	$01cjo$	$01cfp$	$01bhp$	$01cgm$	$01djp$	$019fp$	$01dfn$	$01dho$	$017gp$
$01aeo$	$01fjo$	$01cgl$	$019hl$	$01cgn$	$02dfq$	$018gm$	$01ben$	$01bhj$	$02ahq$	$01djl$
$01dhm$	$024fk$	$01dfl$	$02cgi$	$029fh$	$02acm$	$02bdm$	$02acn$	$029im$	$029gq$	$02bhq$
$029eg$	$03cio$	$02bgi$	$03dim$	$029bl$	$039fo$	$02eil$	$02bim$	$02ehm$	$028an$	$02adn$
$02djn$	$03aim$	$03dhn$	$03bhm$	$03ejo$	$03aen$	$03chm$	$03cho$	$03din$	$02bkn$	$03ahm$
$\mathbf{D_{419}}$	$\mathbf{D_{420}}$	$\mathbf{D_{421}}$	$\mathbf{D_{422}}$	$\mathbf{D_{423}}$	$\mathbf{D_{424}}$	$\mathbf{D_{425}}$	$\mathbf{D_{426}}$	$\mathbf{D_{427}}$	$\mathbf{D_{428}}$	$\mathbf{D_{429}}$
$0169r$	$0178r$	$0158r$	$0167r$	$0147r$	$0156r$	$0146r$	$0145r$	$0145q$	$0145n$	$0145i$
$0149r$	$0168r$	$0148r$	$0157r$	$0145l$	$0145m$	$0145k$	$01goq$	$01ioq$	$0145j$	$01moq$
$01cjq$	$01dhq$	$01cjo$	$01cfp$	$01bhp$	$01cgm$	$01djp$	$019fp$	$01dfn$	$01dho$	$017gp$
$01aeo$	$01fjo$	$01cgl$	$019hl$	$01cgn$	$02dfq$	$018gm$	$01ben$	$01bhj$	$02ahq$	$01djl$
$01dhm$	$024fk$	$01dfl$	$02cgi$	$029fh$	$02acm$	$02bdm$	$02acn$	$029im$	$029gq$	$02bhq$
$029eg$	$03cio$	$02bgi$	$03dim$	$029bl$	$039fo$	$02eil$	$02bim$	$02ehm$	$028an$	$02adn$
$02djn$	$03aim$	$03dhn$	$03bhm$	$03ejo$	$03aen$	$03chm$	$03cho$	$03din$	$02bkn$	$03ahm$

Table 1. Continue

$\mathbf{D_{430}}$	$\mathbf{D_{431}}$	$\mathbf{D_{432}}$	$\mathbf{D_{433}}$	$\mathbf{D_{434}}$	$\mathbf{D_{435}}$	$\mathbf{D_{436}}$	$\mathbf{D_{437}}$	$\mathbf{D_{438}}$	$\mathbf{D_{439}}$	$\mathbf{D_{440}}$
$015nq$	$014nq$	$01jmq$	$01cmq$	$01bmq$	$014mq$	$01dlq$	$017ab$	$01hkq$	$01dkq$	$019kq$
$01kmq$	$01dmq$	$016mq$	$0169a$	$01jlq$	$01ilq$	$014lq$	$01ikq$	$01gkq$	$01bkq$	$017kq$
$01dfq$	$01fhp$	$01ekq$	$01alq$	$01hlq$	$01djo$	$01bnp$	$01fkq$	$01biq$	$018bc$	$015kq$
$01din$	$01aio$	$01dfo$	$017ho$	$01bhn$	$01fho$	$0167k$	$018ho$	$01cmo$	$01hmo$	$01gim$
$019en$	$01aco$	$01bjl$	$024gn$	$01fhk$	$01akm$	$024ek$	$024gp$	$018mo$	$02hkp$	$01dfi$
$029fq$	$028iq$	$029eq$	$02beg$	$02ciq$	$02aeg$	$02ado$	$02elq$	$024go$	$02bfh$	$0279o$
$02acl$	$029bo$	$028df$	$028fq$	$0279n$	$02fio$	$029cn$	$02dgo$	$02fkq$	$02glo$	$02dil$
$\mathbf{D_{441}}$	$\mathbf{D_{442}}$	$\mathbf{D_{443}}$	$\mathbf{D_{444}}$	$\mathbf{D_{445}}$	$\mathbf{D_{446}}$	$\mathbf{D_{447}}$	$\mathbf{D_{448}}$	$\mathbf{D_{449}}$	$\mathbf{D_{450}}$	$\mathbf{D_{451}}$
$016kq$	$01hjq$	$01bjq$	$019jq$	$017jq$	$014jq$	$01fiq$	$018iq$	$014iq$	$019hq$	$016hq$
$014kq$	$01gjq$	$01ajq$	$018jq$	$015jq$	$019cd$	$019iq$	$015iq$	$01ahq$	$018hq$	$014hq$
$01giq$	$016jq$	$016iq$	$015hq$	$01ade$	$0156i$	$017hq$	$01fhq$	$018gq$	$017fq$	$01afq$
$018co$	$018dp$	$016eq$	$01ego$	$01dmo$	$024hn$	$01enp$	$01hjo$	$016mo$	$0167o$	$01fmo$
$01cej$	$01fln$	$01gmo$	$0179o$	$024fo$	$0279m$	$018eo$	$01ekn$	$019bo$	$024fq$	$01chn$
$0279l$	$024in$	$0257j$	$0257k$	$028lq$	$02akn$	$024io$	$027hq$	$024eo$	$027gq$	$024ln$
$02fkn$	$028hq$	$029df$	$02gjp$	$02ehn$	$039eo$	$027ac$	$0268m$	$02ekq$	$02acp$	$02alo$
$\mathbf{D_{452}}$	$\mathbf{D_{453}}$	$\mathbf{D_{454}}$	$\mathbf{D_{455}}$	$\mathbf{D_{456}}$	$\mathbf{D_{457}}$	$\mathbf{D_{458}}$	$\mathbf{D_{459}}$	$\mathbf{D_{460}}$	$\mathbf{D_{461}}$	$\mathbf{D_{462}}$
$01bef$	$01egq$	$01dgq$	$016gq$	$01cfg$	$01cfq$	$01bfq$	$018fq$	$015fq$	$01beq$	$017eq$
$01agq$	$019gq$	$017gq$	$014gq$	$019fq$	$016fq$	$01aeq$	$01deq$	$01ceq$	$018eq$	$015eq$
$01lnp$	$015gq$	$01emp$	$019eq$	$0179q$	$0156m$	$01hnp$	$016cq$	$017dq$	$016dq$	$01bdq$
$01aim$	$016np$	$01imo$	$019mo$	$016ip$	$01dkm$	$01clo$	$01dln$	$019lo$	$016go$	$017mo$
$028kq$	$017lo$	$01cln$	$019bn$	$024bo$	$02ajq$	$01aln$	$024cm$	$01ckm$	$01cjl$	$019jl$
$027eq$	$0279k$	$024jo$	$028jq$	$02akq$	$028aq$	$0257n$	$0257p$	$027kq$	$024lo$	$026kq$
$028bo$	$02ckn$	$02ckq$	$027bd$	$028lo$	$026ip$	$02elo$	$039jo$	$0279p$	$024ao$	$027iq$
$\mathbf{D_{463}}$	$\mathbf{D_{464}}$	$\mathbf{D_{465}}$	$\mathbf{D_{466}}$	$\mathbf{D_{467}}$	$\mathbf{D_{468}}$	$\mathbf{D_{469}}$	$\mathbf{D_{470}}$	$\mathbf{D_{471}}$	$\mathbf{D_{472}}$	$\mathbf{D_{473}}$
$01bef$	$01egq$	$01dgq$	$016gq$	$01cfg$	$01cfq$	$01bfq$	$018fq$	$015fq$	$01beq$	$017eq$
$01agq$	$019gq$	$017gq$	$014gq$	$019fq$	$016fq$	$01aeq$	$01deq$	$01ceq$	$018eq$	$015eq$
$01lnp$	$015gq$	$01emp$	$019eq$	$0179q$	$0156m$	$01hnp$	$016cq$	$017dq$	$016dq$	$01bdq$
$01aim$	$016np$	$01imo$	$019mo$	$016ip$	$01dkm$	$01clo$	$01dln$	$019lo$	$016go$	$017mo$
$028kq$	$017lo$	$01cln$	$019bn$	$024bo$	$02ajq$	$01aln$	$024cm$	$01ckm$	$01cjl$	$019jl$
$027eq$	$0279k$	$024jo$	$028jq$	$02akq$	$028aq$	$0257n$	$0257p$	$027kq$	$024lo$	$026kq$
$028bo$	$02ckn$	$02ckq$	$027bd$	$028lo$	$026ip$	$02elo$	$039jo$	$0279p$	$024ao$	$027iq$
$\mathbf{D_{474}}$	$\mathbf{D_{475}}$	$\mathbf{D_{476}}$	$\mathbf{D_{477}}$	$\mathbf{D_{478}}$	$\mathbf{D_{479}}$	$\mathbf{D_{480}}$	$\mathbf{D_{481}}$	$\mathbf{D_{482}}$	$\mathbf{D_{483}}$	$\mathbf{D_{484}}$
$0159q$	$0168q$	$0157q$	$0156q$	$0156p$	$0156n$	$0156j$	$01jmp$	$01imp$	$01cmp$	$01amp$
$0178q$	$0158q$	$0156o$	$01anp$	$017np$	$0156k$	$01kmp$	$01gmp$	$01fmp$	$01bmp$	$019mp$
$017eo$	$01ako$	$019gn$	$01bmo$	$018ln$	$018km$	$01dmp$	$01flp$	$01gio$	$016ab$	$01ikp$
$01ado$	$01bio$	$019il$	$01dgo$	$01bil$	$024jm$	$01ehn$	$01cdo$	$01akn$	$01egm$	$0167j$
$024dm$	$01dgm$	$024hk$	$024el$	$024fj$	$02dmp$	$024en$	$02acq$	$01dgi$	$029ce$	$024fn$
$02cfh$	$024gi$	$02cep$	$02fjm$	$02fil$	$02adp$	$024gm$	$02gjn$	$024cp$	$0268k$	$02bep$
$028gq$	$02ejm$	$03ado$	$03ben$	$03cfo$	$03bgj$	$03bem$	$029bm$	$02bkq$	$039cp$	$02gjm$
$\mathbf{D_{485}}$	$\mathbf{D_{486}}$	$\mathbf{D_{487}}$	$\mathbf{D_{488}}$	$\mathbf{D_{489}}$	$\mathbf{D_{490}}$	$\mathbf{D_{491}}$	$\mathbf{D_{492}}$	$\mathbf{D_{493}}$	$\mathbf{D_{494}}$	$\mathbf{D_{495}}$
$015mp$	$01ilp$	$01hlp$	$01dlp$	$01alp$	$016lp$	$01gkp$	$01fkp$	$01gip$	$015ip$	$01ehp$
$01jlp$	$01clp$	$017bc$	$01blp$	$01hkp$	$01gjp$	$01cjp$	$018cd$	$01fip$	$019de$	$016hp$
$01emo$	$01beo$	$01fkn$	$01bdo$	$0167n$	$018lo$	$0178p$	$01dlo$	$019hp$	$01bkn$	$01egp$
$01eho$	$01jln$	$01adn$	$017ln$	$018bn$	$01bcn$	$019km$	$01fjm$	$01ikn$	$01cfm$	$018kn$
$01bln$	$018en$	$024ik$	$01gjm$	$024il$	$024jl$	$024gj$	$024km$	$017kn$	$024kq$	$01bik$
$02ehk$	$02ceq$	$028nq$	$024jq$	$02bdq$	$029nq$	$02gnq$	$028ce$	$024jn$	$02cnq$	$024nq$
$02dgk$	$02ilo$	$029co$	$02hkq$	$02amp$	$02fim$	$02hkn$	$0369m$	$028bq$	$0268l$	$028mp$
$\mathbf{D_{496}}$	$\mathbf{D_{497}}$	$\mathbf{D_{498}}$	$\mathbf{D_{499}}$	$\mathbf{D_{500}}$	$\mathbf{D_{501}}$	$\mathbf{D_{502}}$	$\mathbf{D_{503}}$	$\mathbf{D_{504}}$	$\mathbf{D_{505}}$	$\mathbf{D_{506}}$
$015mp$	$01ilp$	$01hlp$	$01dlp$	$01alp$	$016lp$	$01gkp$	$01fkp$	$01gip$	$015ip$	$01ehp$
$01jlp$	$01clp$	$017bc$	$01blp$	$01hkp$	$01gjp$	$01cjp$	$018cd$	$01fip$	$019de$	$016hp$
$01emo$	$01beo$	$01fkn$	$01bdo$	$0167n$	$018lo$	$0178p$	$01dlo$	$019hp$	$01bkn$	$01egp$
$01eho$	$01jln$	$01adn$	$017ln$	$018bn$	$01bcn$	$019km$	$01fjm$	$01ikn$	$01cfm$	$018kn$
$01bln$	$018en$	$024ik$	$01gjm$	$024il$	$024jl$	$024gj$	$024km$	$017kn$	$024kq$	$01bik$
$02ehk$	$02ceq$	$028nq$	$024jq$	$02bdq$	$029nq$	$02gnq$	$028ce$	$024jn$	$02cnq$	$024nq$
$02dgk$	$02ilo$	$029co$	$02hkq$	$02amp$	$02fim$	$02hkn$	$0369m$	$028bq$	$0268l$	$028mp$

Table 1. Continue

$\mathbf{D_{507}}$	$\mathbf{D_{508}}$	$\mathbf{D_{509}}$	$\mathbf{D_{510}}$	$\mathbf{D_{511}}$	$\mathbf{D_{512}}$	$\mathbf{D_{513}}$	$\mathbf{D_{514}}$	$\mathbf{D_{515}}$	$\mathbf{D_{516}}$	$\mathbf{D_{517}}$
$017ap$	$016ap$	$0169p$	$0167p$	$0167l$	$01jlo$	$01ilo$	$015kn$	$015ko$	$015lo$	$015no$
$0189p$	$0179p$	$0168p$	$01alo$	$01jmo$	$01hlo$	$01glo$	$015lm$	$015ln$	$015mo$	$0169k$
$01elo$	$01dgn$	$01fin$	$019dn$	$01hjl$	$01fio$	$01cjn$	$0169g$	$017eh$	$017cf$	$017hl$
$01dik$	$01acm$	$019cm$	$018im$	$01dhk$	$01dkn$	$01gkm$	$01ach$	$018ik$	$018il$	$018cm$
$024ep$	$01fil$	$01fhj$	$0246m$	$029dq$	$01ejm$	$01egi$	$0248j$	$019cf$	$01bdf$	$0246d$
$02bnq$	$024iq$	$02bmp$	$02ehq$	$028bp$	$024im$	$02cmq$	$0258k$	$0247f$	$0269k$	$025eh$
$02fip$	$026iq$	$029cp$	$02adq$	$03aeo$	$024hl$	$02amq$	$026dg$	$025dp$	$026jm$	$025il$
$\mathbf{D_{518}}$	$\mathbf{D_{519}}$	$\mathbf{D_{520}}$	$\mathbf{D_{521}}$	$\mathbf{D_{522}}$	$\mathbf{D_{523}}$	$\mathbf{D_{524}}$	$\mathbf{D_{525}}$	$\mathbf{D_{526}}$	$\mathbf{D_{527}}$	$\mathbf{D_{528}}$
01234	$0123g$	$0124r$	$0125q$	$0126p$	$0127o$	$0128n$	$012al$	$012di$	$012fg$	01356
$018cg$	$0169j$	$017be$	$0169f$	$012bk$	$0129m$	$012cj$	$012eh$	$0159a$	$016ah$	$016ai$
$029gi$	$019fl$	$018df$	$017bm$	$018ch$	$01adi$	$016be$	$017bf$	$017fn$	$018jn$	$017bg$
$036cn$	$0259k$	$01ack$	$019ch$	$025eq$	$025bf$	$0246f$	$0258a$	$024cl$	$0259b$	$018cf$
$03bgl$	$026ad$	$038eh$	$024dk$	$028eg$	$025hl$	$037jm$	$0259f$	$0257i$	$025lo$	$02aeq$
$048en$	$02ilp$	$049dl$	$024ej$	$036dg$	$026fp$	$038kn$	$037gp$	$036ap$	$026jn$	$02aik$
$05afm$	$05ahm$	$05agn$	$03agm$	$048fm$	$037il$	$048do$	$05bhm$	$039fi$	$038bk$	$039gn$
$\mathbf{D_{529}}$	$\mathbf{D_{530}}$	$\mathbf{D_{531}}$	$\mathbf{D_{532}}$	$\mathbf{D_{533}}$	$\mathbf{D_{534}}$	$\mathbf{D_{535}}$	$\mathbf{D_{536}}$	$\mathbf{D_{537}}$	$\mathbf{D_{538}}$	$\mathbf{D_{539}}$
$013fr$	$0145h$	01478	$014fq$	$015fp$	$0167i$	$016ae$	$016af$	$016bc$	$016de$	$016ef$
$016ac$	$0169o$	$019eh$	$016ci$	$016cn$	$016ad$	$016cd$	$016gh$	$0178g$	$016fi$	$016hl$
$016lm$	$017fg$	$01bfh$	$0189g$	$0189i$	$018bl$	$018bd$	$018hi$	$019be$	$017cg$	$018jk$
$01dim$	$024bm$	$01iko$	$01adk$	$019ce$	$01aeg$	$019jm$	$0247n$	$024dp$	$01ahk$	$0246b$
$0259g$	$025ai$	$026fo$	$0246g$	$0247m$	$024hp$	$0248i$	$0248k$	$0259h$	$0247b$	$0258c$
$026gp$	$026ac$	$0279j$	$025aq$	$0248g$	$025cq$	$024bq$	$0259c$	$02gkq$	$0248a$	$025dh$
$03adl$	$03ahk$	$038il$	$027gp$	$036jm$	$02bmq$	$036fk$	$036el$	$03adp$	$03beo$	$036dm$
$\mathbf{D_{540}}$	$\mathbf{D_{541}}$	$\mathbf{D_{542}}$	$\mathbf{D_{543}}$	$\mathbf{D_{544}}$	$\mathbf{D_{545}}$	$\mathbf{D_{546}}$	$\mathbf{D_{547}}$	$\mathbf{D_{548}}$	$\mathbf{D_{549}}$	$\mathbf{D_{550}}$
$013fr$	$0145h$	01478	$014fq$	$015fp$	$0167i$	$016ae$	$016af$	$016bc$	$016de$	$016ef$
$016ac$	$0169o$	$019eh$	$016ci$	$016cn$	$016ad$	$016cd$	$016gh$	$0178g$	$016fi$	$016hl$
$016lm$	$017fg$	$01bfh$	$0189g$	$0189i$	$018bl$	$018bd$	$018hi$	$019be$	$017cg$	$018jk$
$01dim$	$024bm$	$01iko$	$01adk$	$019ce$	$01aeg$	$019jm$	$0247n$	$024dp$	$01ahk$	$0246b$
$0259g$	$025ai$	$026fo$	$0246g$	$0247m$	$024hp$	$0248i$	$0248k$	$0259h$	$0247b$	$0258c$
$026gp$	$026ac$	$0279j$	$025aq$	$0248g$	$025cq$	$024bq$	$0259c$	$02gkq$	$0248a$	$025dh$
$03adl$	$03ahk$	$038il$	$027gp$	$036jm$	$02bmq$	$036fk$	$036el$	$03adp$	$03beo$	$036dm$
$\mathbf{D_{551}}$	$\mathbf{D_{552}}$	$\mathbf{D_{553}}$	$\mathbf{D_{554}}$	$\mathbf{D_{555}}$	$\mathbf{D_{556}}$	$\mathbf{D_{557}}$	$\mathbf{D_{558}}$	$\mathbf{D_{559}}$	$\mathbf{D_{560}}$	$\mathbf{D_{561}}$
$017ci$	$017cn$	$017de$	$017ef$	$017gh$	$017hm$	$017im$	$017in$	$017io$	$017jk$	$017lm$
$0189k$	$017kl$	$019am$	$017jn$	$018ci$	$018bo$	$0189l$	$019ai$	$019dg$	$0189o$	$019do$
$019df$	$01cgk$	$01chk$	$01abk$	$018dg$	$019ci$	$01beh$	$01bdg$	$01aeh$	$01bei$	$01cgj$
$01fjn$	$01gjl$	$0246a$	$0248p$	$01afi$	$01acf$	$01fik$	$01gkn$	$01afk$	$024ip$	$01gik$
02479	$024cq$	$025jo$	$025di$	$0247p$	$01eim$	$024kp$	$0247h$	$01ikm$	$025hp$	$025mo$
$02hlq$	$0258p$	$026fq$	$025mq$	$025fp$	02469	$0269p$	$025bq$	$0248f$	$026hq$	$025nq$
$036gj$	$02fjq$	$03bep$	$02beq$	$0269b$	$026gq$	$027cq$	$026ae$	$0258q$	$027aq$	$04agk$
$\mathbf{D_{562}}$	$\mathbf{D_{563}}$	$\mathbf{D_{564}}$	$\mathbf{D_{565}}$							
$0167f$	$0169b$	$0169c$	$0189m$							
$0168b$	$0169d$	$0169e$	$01bdh$							
$019bd$	$016cf$	$017bi$	$01bfj$							
$01adh$	$017ah$	$018ae$	$01gjo$							
$025im$	$018bg$	$01ceg$	$0249d$							
$026kn$	$024bf$	$0259j$	$027ce$							
$038im$	$024cg$	$0259l$	$0369c$							

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